



Math Virtual Learning

Algebra 1 S1

Solving a system of linear equations by
Elimination

April 22, 2020



Algebra I S1
Lesson: April 22, 2020

Objective/Learning Target:

Students will find the solution to a system of linear equations by using the elimination method.



BELL RINGER

Solve using **Substitution**:

$$x = -2y$$

$$3x + 4y = -8$$

BELL RINGER-SOLUTION

Solve each system by substitution.

Ex) $\begin{cases} x = -2y \\ 3x + 4y = -8 \end{cases}$

Step 1
 The variable x is already by itself.

Step 2
 $3x + 4y = -8$
 $3(-2y) + 4y = -8$
 $-6y + 4y = -8$
 $\frac{-2y}{-2} = \frac{-8}{-2}$
 $y = 4$

Step 3
 $x = -2y$
 $x = -2(4)$
 $x = -8$
 $(-8, 4)$

Step 4
 $x = -2y$
 $(-8) = -2(4)$
 $-8 = -8$ ✓
 $3x + 4y = -8$
 $3(-8) + 4(4) = -8$
 $-24 + 16 = -8$
 $-8 = -8$ ✓

Elimination Method

Solving a system of equations by elimination using multiplication.

Step 1: Put the equations in Standard Form.

Standard Form: $Ax + By = C$

Step 2: Determine which variable to eliminate.

Look for variables that have the same coefficient.

Step 3: Multiply the equations and solve.

Solve for the variable.

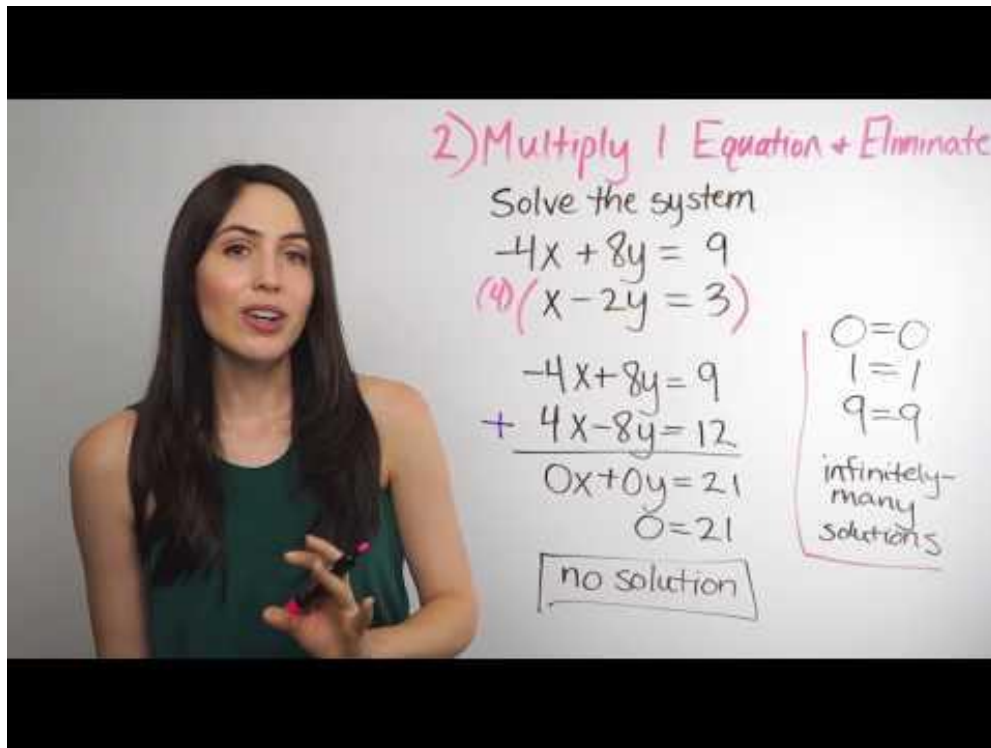
Step 4: Plug back in to find the other variable.

Substitute the value of the variable into the equation.

Step 5: Check your solution.

Substitute your ordered pair into BOTH equations.

Click to watch the video.



2) Multiply 1 Equation + Eliminate

Solve the system

$$\begin{array}{r} -4x + 8y = 9 \\ (4)(x - 2y = 3) \\ \hline -4x + 8y = 9 \\ + 4x - 8y = 12 \\ \hline 0x + 0y = 21 \\ 0 = 21 \end{array}$$

no solution

$$\begin{array}{l} 0=0 \\ 1=1 \\ 9=9 \end{array}$$

infinitely many solutions

Example 2 |

$$\begin{array}{l} 2x + 3y = 20 \\ -2x + y = 4 \end{array}$$

↑

See how these guys are the same, but with a different sign?

$$\begin{array}{r} 2x + 3y = 20 \\ + \quad -2x + y = 4 \\ \hline 0 + 4y = 24 \\ 4y = 24 \\ \text{\textcircled{y = 6}} \end{array}$$

We've got one of them... Now, we just need to get the **X**. To do this, you can stick the **Y** into either of the original equations...

The second equation is easier:

$$\begin{array}{l} -2x + y = 4 \\ -2x + 6 = 4 \\ -2x = -2 \\ \text{\textcircled{x = 1}} \end{array}$$

$y = \text{\textcircled{6}}$

It looks like the answer is (1, 6).

But, check out the **y** guys:

$$\begin{array}{r} \downarrow \\ 3x - 4y = -5 \\ 5x - 2y = -6 \\ \nearrow \end{array}$$

If we could make this a **+4y**, the **y**'s would drop out...

So, let's do it! Remember that we can multiply an equation by a number...

So, let's multiply the second equation by a **-2**:

$$\begin{array}{l}
 3x - 4y = -5 \\
 -2(5x - 2y = -6)
 \end{array}$$

Remind student to multiply each one!!!

$$\begin{array}{r}
 3x - 4y = -5 \\
 \rightarrow -10x + 4y = 12 \quad + \\
 \hline
 -7x + 0 = 7 \\
 -7x = 7 \\
 \textcircled{x = -1}
 \end{array}$$

Now, stick the x guy into either of the original equations. I'm going to go for the first one:

$$\begin{array}{l}
 x = \textcircled{-1} \rightarrow \\
 3x - 4y = -5 \\
 3(-1) - 4y = -5 \\
 -3 - 4y = -5 \\
 -4y = -2 \\
 \textcircled{y = \frac{1}{2}}
 \end{array}$$

Answer is: $(-1, \frac{1}{2})$



Click the link.
Complete the practice problems from the first
page on a sheet of paper.
You can check your answers on the second page.

PRACTICE